

exercise session 5

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Wind Energy Systems, Summer-Semester 2018

Albert-Ludwigs-University, Freiburg, Germany



July 4, 2018

1 questions from you for me

2 concept questions

3 homework

a friendly reminder



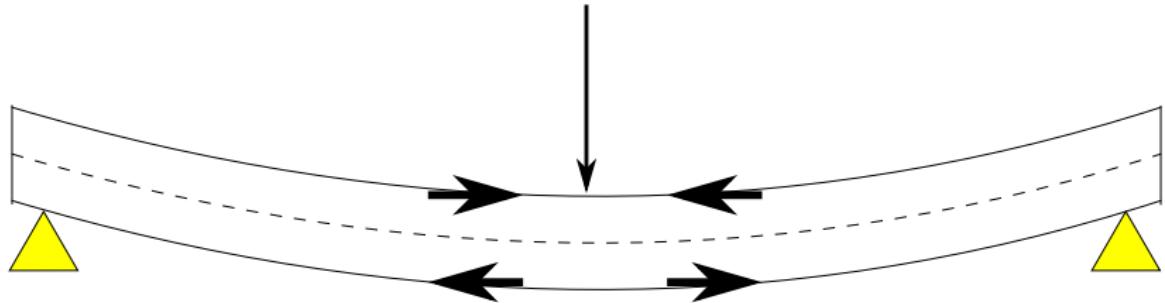
... "could [you] provide us a 'perfect solution' on the slides or on the blackboard" ?

the solutions are posted online = **the 'perfect solution'**
(suggested to read over the solutions and prepare questions before the last exercise session, over-next Wednesday.)

leftover from last week: the neutral axis



the neutral axis doesn't feel any internal compression or tension in whatever deformation state the beam is in.



yes, if the beam deforms symmetrically, then:

neutral axis → neutral surface

let's play a game...



concept questions!

which equality motivates energy methods: pendulum

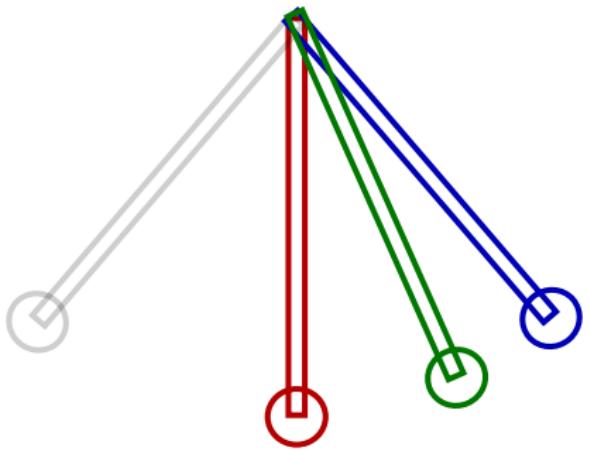


a) $\text{PE} + \text{KE} = \text{PE} + \text{KE}$

b) $\text{PE} + \text{KE} = \text{PE} + \text{KE}$

c) $\text{PE} + \text{KE} = \text{PE} + \text{KE}$

d) all of the above



at max. displacement

which equality motivates energy methods: pendulum

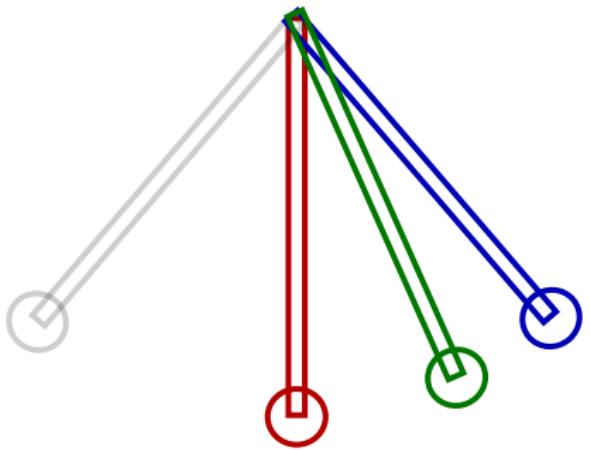


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at max. displacement

which equality motivates energy methods: beam deflection

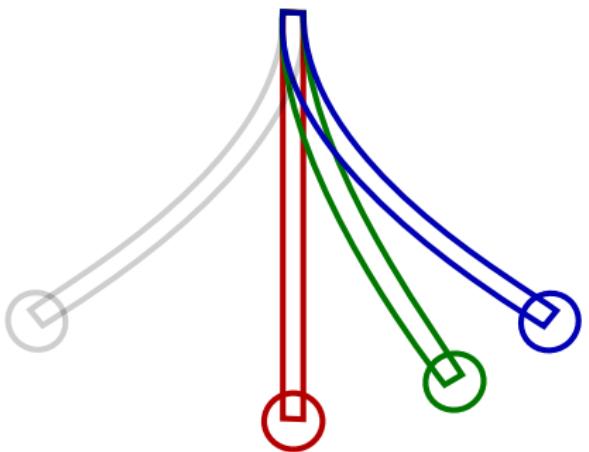


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d) all of the above



at max. deflection

which equality motivates energy methods: beam deflection

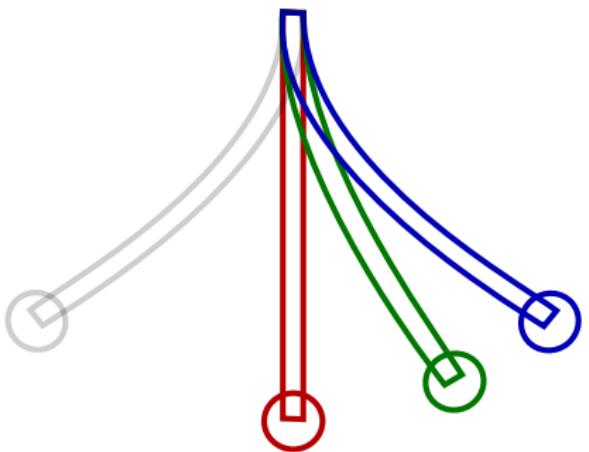


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what equality is most convenient: beam deflection

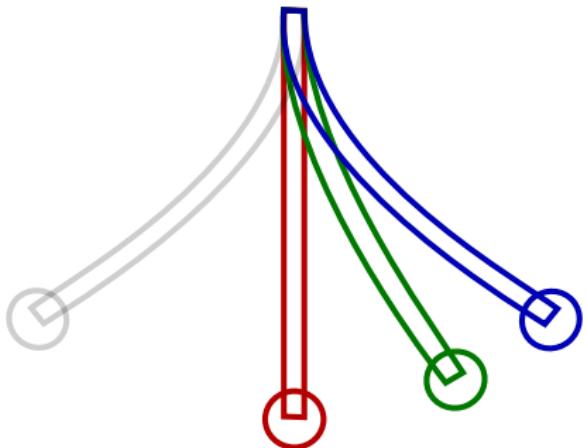


a) ~~PE~~ + KE = ~~PE~~ + KE

b) PE + ~~KE~~ = ~~PE~~ + KE

c) ~~PE~~ + KE = PE + ~~KE~~

d) PE + ~~KE~~ = PE + ~~KE~~



at max. deflection

assume negligible height differences

what equality is most convenient: beam deflection

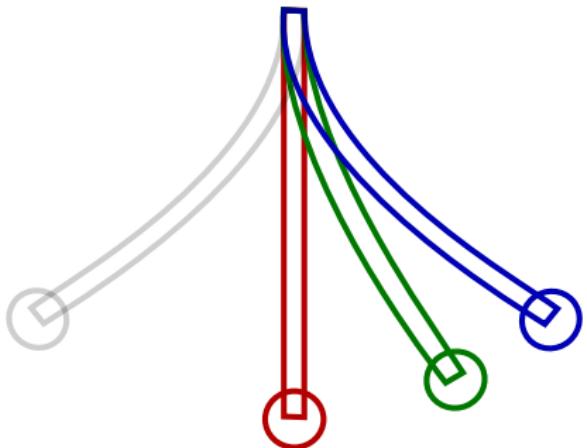


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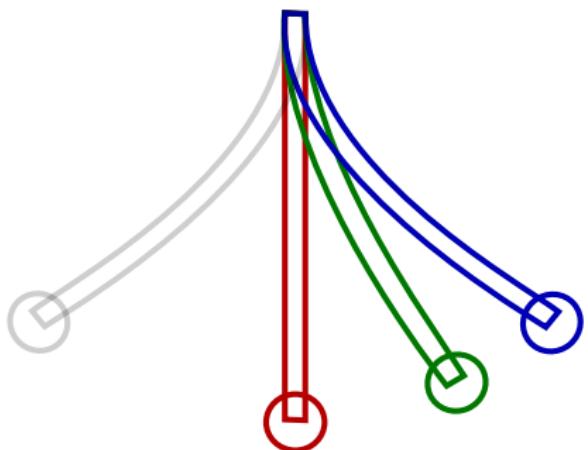
d) PE + ~~KE~~ = PE + ~~KE~~



at max. deflection

assume negligible height differences

which energy term is negligible?



at max. deflection
assume negligible height differences

a) $\cancel{\text{KE}_{\text{ball}}} + \text{KE}_{\text{beam}}$

$$= \text{PE}_{\text{ball}} + \cancel{\text{PE}_{\text{beam}}}$$

b) $\text{KE}_{\text{ball}} + \cancel{\text{KE}_{\text{beam}}}$

$$= \cancel{\text{PE}_{\text{ball}}} + \text{PE}_{\text{beam}}$$

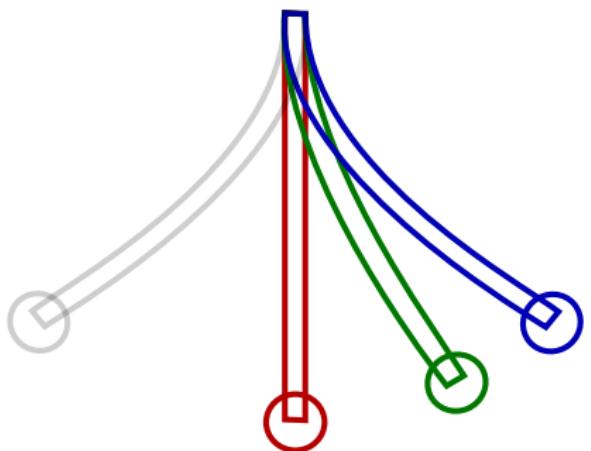
c) $\text{KE}_{\text{ball}} + \text{KE}_{\text{beam}}$

$$= \cancel{\text{PE}_{\text{ball}}} + \text{PE}_{\text{beam}}$$

d) $\text{KE}_{\text{ball}} + \text{KE}_{\text{beam}}$

$$= \text{PE}_{\text{ball}} + \cancel{\text{PE}_{\text{beam}}}$$

which energy term is negligible?



at max. deflection
assume negligible height differences

a) $\cancel{\text{KE}_{ball}} + \text{KE}_{beam}$

$$= \text{PE}_{ball} + \cancel{\text{PE}_{beam}}$$

b) $\text{KE}_{ball} + \cancel{\text{KE}_{beam}}$

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c) $\text{KE}_{ball} + \text{KE}_{beam}$

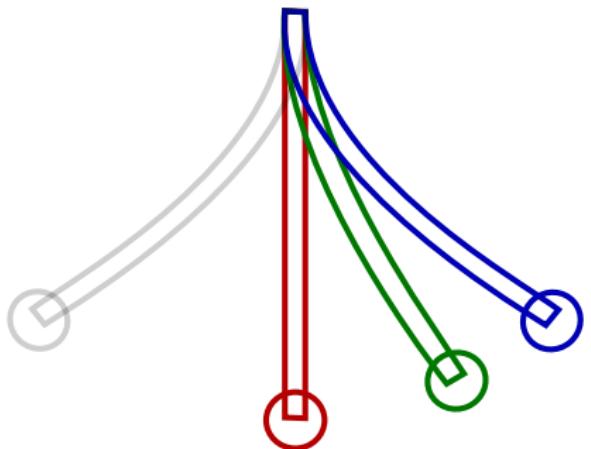
$$= \cancel{\text{PE}_{ball}} + \text{PE}_{beam}$$

d) $\text{KE}_{ball} + \text{KE}_{beam}$

$$= \text{PE}_{ball} + \cancel{\text{PE}_{beam}}$$

with deflection $x(s,t) = A(s) \cos(\omega t)$, which expressions are correct?

such that: $\text{KE}_{ball} = \frac{1}{2} m_{ball} \dot{x}(L,t)^2$



at max. deflection
assume negligible height differences

a) $\text{PE}_{beam} = \frac{1}{2} k \int_0^L (x(s,t))^2 ds$

$$\text{KE}_{beam} = \frac{1}{2} \frac{m_{beam}}{L} \int_0^L (\dot{x}(s,t)^2) ds$$

b) $\text{PE}_{beam} = \frac{1}{2} k \int_0^L (x(s,t)^2) ds$

$$\text{KE}_{beam} = \frac{1}{2} \frac{m_{beam}}{L} \int_0^L (\dot{x}(s,t)^2) ds$$

c) $\text{PE}_{beam} = \frac{1}{2} k \int_0^L (\dot{x}(s,t)) ds$

$$\text{KE}_{beam} = \frac{1}{2} \frac{m_{beam}}{L} \int_0^L (x(s,t)^2) ds$$

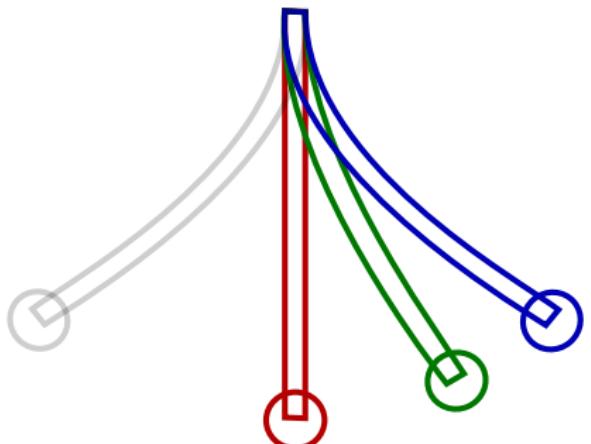
d) $\text{PE}_{beam} = \frac{1}{2} k \int_0^L (\dot{x}(s,t)^2) ds$

$$\text{KE}_{beam} = \frac{1}{2} \frac{m_{beam}}{L} \int_0^L (x(s,t)^2) ds$$

with deflection $x(s,t) = A(s) \cos(\omega t)$, which expressions are correct?



such that: $\text{KE}_{\text{ball}} = \frac{1}{2} m_{\text{ball}} \dot{x}(L,t)^2$



at max. deflection
assume negligible height differences

a) $\text{PE}_{\text{beam}} = \frac{1}{2} k \int_0^L (x(s,t)) \, ds$

$$\text{KE}_{\text{beam}} = \frac{1}{2} \frac{m_{\text{beam}}}{L} \int_0^L (\dot{x}(s,t)^2) \, ds$$

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$$\text{KE}_{\text{beam}} = \frac{1}{2} \frac{m_{\text{beam}}}{L} \int_0^L (x(s,t)^2) \, ds$$

about the homework



Exercise 1: preliminary tower design

26 responses



1a

- i Jakob Salewsky
- ii Yasaman Heshamtzadeh
- iii Irene
- iv Karima Saddedine

1a (contd)

- v Mariana Ferrandon
- vi Deepak
- vii Nils Straub