KU LEUVEN



Calibration and validation of dynamic building emulator model for testing controllers

Mats Vande Cavey (KU Leuven)





Goal

Calibrated building model for testing controllers

- Detailed white-box model: building envelope, heating and ventilation system
- Incorporate all physical phenomena
- Calibrate with measurement data

Framework for calibration of Modelica models

- Automation and re-use
- Reduce modeling time





Emulate the real heating system

Multiple experiments on identical setup

Compare controllers

- Objectives
- Controller models
- State estimation algorithm
- o (solvers)







Model the system

Select parameters to calibrate

Sensitivity analysis

Optimize parameter values







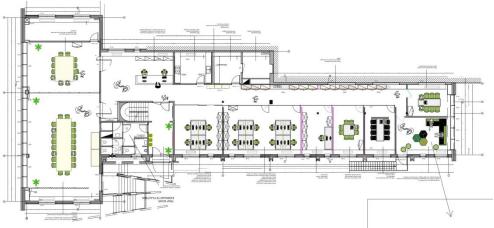
3E headquarters in Brussels Two floors, 40 – 80 people Renewed heating system







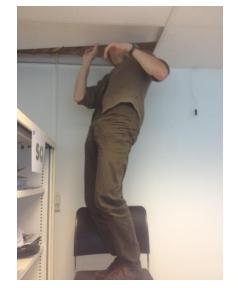
Building envelope



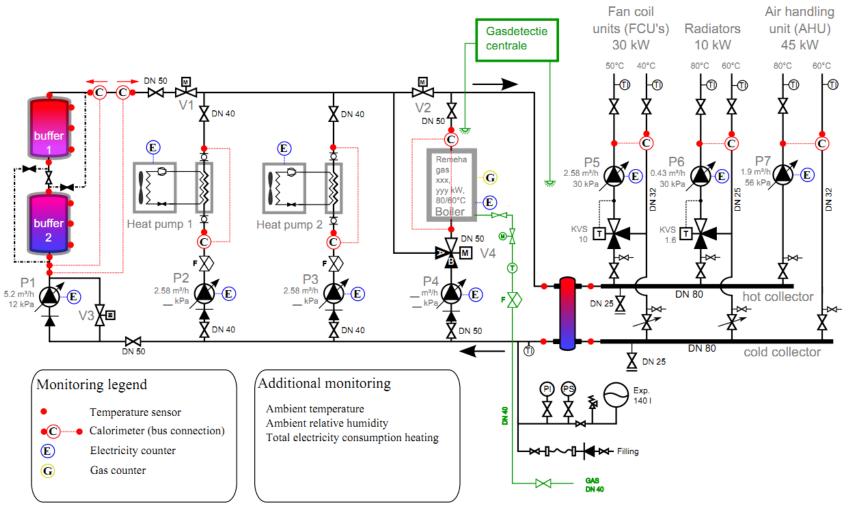
Second floor



NCE PLUS



Heating system





Model

Libraries

- IDEAS (KU Leuven)
- Buildings (LBNL)
- Own models
 - \rightarrow lots of parameters



Selecting parameters

Well known parameters: knowledge of the system, building drawings, material properties or manufacturer data

→assume correct

Uncertain parameters: engineering knowledge, educated guess, specific non-physical parameters

→calibrate

1. sensitivity analysis: Elementary Effects (EE)

Sensitive (uncertain) parameters

2. guided search optimization: Genopt

PERFORMANCE Calibrated parameters!



Challenges

With the system

- Large system = long simulation times
- o Calibrate submodels?
 - Not all inputs are measured
 - submodels have interaction with system

With Modelica:

- Parameter not available to change?
 - annotation: Evaluate = false
 - attribute: fixed = true
 - → Check: parameter changed in simulation?



Sensitivity analysis

Elementary Effects (EE) method of Morris

- Investigate influence on Goodness Of Fit indicators (GOFs) 0
 - Coefficient of Variance of RMSE:

 $CV(RMSE) = \frac{o_e}{\mu_e}$

Normalized Mean Bias Error:

 $NMBE = \frac{\sum_{1}^{n} (y - y_{meas})}{\mu_{y_{meas}}}$

- Walk through parameter space with One-At-a-Time (OAT) 0 parameter change
- Simulate for OAT change in the parameters 0
- Quantify influence using EE statistics 0





Sensitivity analysis

Quantify influence using Elementary Effect statistics

$$EE = d_i(X) = \frac{Y(X_1, ..., X_{i-1}, X_i + \Delta, X_{i+1}, ..., X_k) - Y(X)}{\Delta}$$

Mean? Standard deviation?

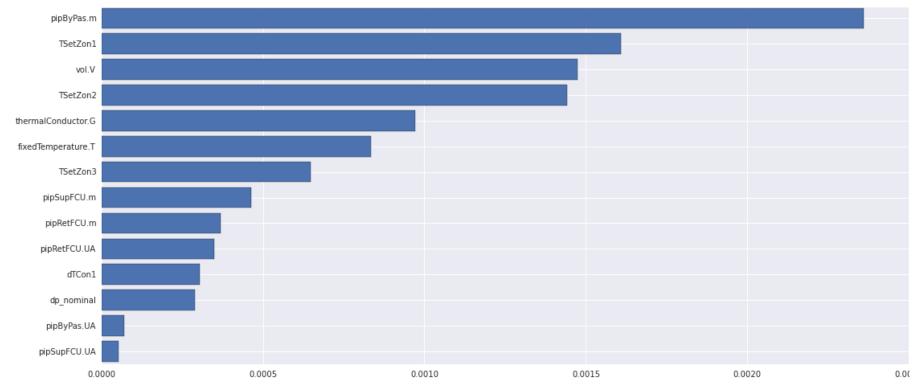
→ Revised Measure (Campologno et al.)

$$\mu^* = \frac{1}{r} \sum_{j=1}^r \left| d_i(X^{(j)}) \right|$$



Sensitivity analysys results

Sensitivities on CVE towards water return temperature





Calibration

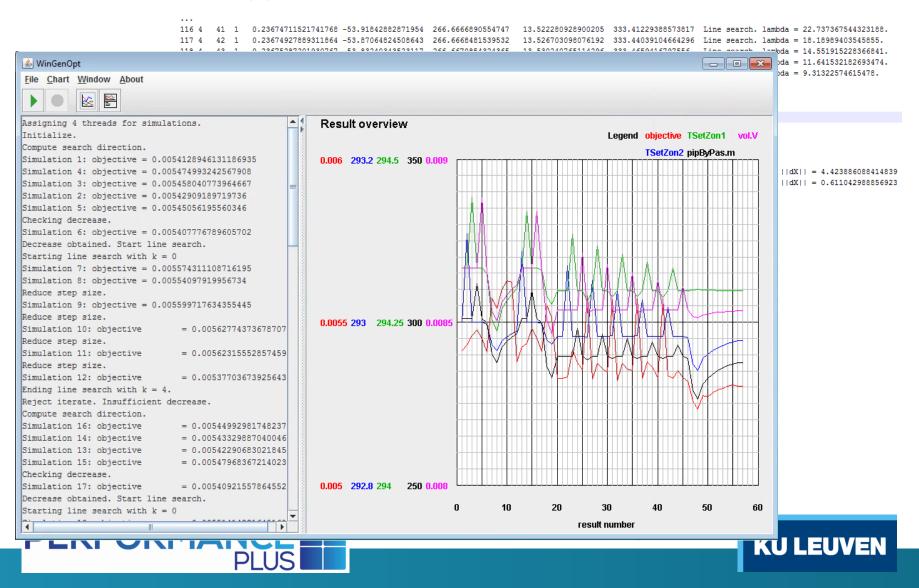
Guided search optimization

- Minimize cost function
 - Weighted sum of GOF's
- GenOpt (general optimization)
 - Discrete Armijo Gradient
 - Generalized Pattern Search (Hookes-Jeeves)
 - Particle Swarm Optimization
 - Nelder and Mead's Simplex



Calibration

All iterations (end)





Number of sensitive parameters to select?

Initial values to use?

- For the values to optimize?
- For the fixed values?

Optimization algorithm?







